

# A new altimeter waveform retracking algorithm based on neural networks

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### Summary

We present a new method for waveform retracking, based on neural network. A set of synthetic Jason-1 waveforms was created according to the Hayne model, taking into account the thermal noise, the telemetry and the data compression used for telemetry, assuming a single gaussian PTR. An appropriate neural network (NN) was determined to retrieve the epoch (range), and the significant wave height from the waveform samples, given a fixed skewness. The obtained NN can be seen like a non-linear mathematical function giving the two parameters (Epoch, SWH) given the 64 waveforms samples: (Epoch, SWH)=F(s1,...,s64).

The NN was applied to simulated and SGDR (Scientific Geophysical Data Records) Jason-1 waveforms. We show the following results:

She standard deviation of the NN epoch estimation is equivalent or slightly better than the one obtained with the MLE3 (Maximum Likelihood Estimate) algorithms of the SGDRs.

The standard deviation of the NN SWH estimates is reduced by a factor two in comparison with the MLE3 estimate.

Given the simplified modelling applied in this study, the NN estimate have non-negligible biases, but we demonstrate that this problem can be solved by optimising the NN, using a more sophisticated forward model (Hayne 2nd order) and by creating correction tables.

### 2. Determination of a Neural Network for

### 1. Simulated waveforms

#### 1st order Hayne Model Single gaussian PTR (0.513T) Thermal noise [0,10], FFT(gaussian2) Speckle noise (Gaussian, 1/sqrt(90)) Compression/decompression effects



### 3. Performances with simulated data

15 test databases defined by CNES Comparison of MLE / Neuronal Retracking STD of 20Hz estimations:



	SWH	<b>Mispointing Angle</b>	Skew.Waveforms	Skew.Rtk	PTR
Test 1	2 m	<b>0</b> °	0.1	0.1	Single Gaussian
Test 2	2 m	Linear between 0 to $0.3^{\circ}$	0.1	0.1	Single Gaussian
Test 3	6 m	Linear between 0 to $0.3^{\circ}$	0.1	0.1	Single Gaussian
Test 4	Linear between 1 to 6m	<b>0</b> °	0.1	0.1	Single Gaussian
Test 5	Linear between 1 to 6m	<b>0.3</b> °	0.1	0.1	Single Gaussian
Test 6	Linear between 1 to 6m	Linear between 0 to $0.3^{\circ}$	0.1	0.1	Single Gaussian
Test 7	2 m	<b>0</b> °	0.1	0.1	Full PTR
Test 8	2 m	Linear between 0 to $0.3^{\circ}$	0.1	0.1	Full PTR
Test 9	6 m	Linear between 0 to $0.3^{\circ}$	0.1	0.1	Full PTR
Test 10	Linear between 1 to 6m	<b>0</b> °	0.1	0.1	Full PTR
Test 11	Linear between 1 to 6m	<b>0.3</b> °	0.1	0.1	Full PTR
Test 12	Linear between 1 to 6m	Linear between 0 to $0.3^{\circ}$	0.1	0.1	Full PTR
Test 13	2 m	<b>0</b> °	0	0	Full PTR
Test 14	2 m	<b>0</b> °	0	0.1	Full PTR
Test 15	2 m	<b>0</b> °	0.1	0	Full PTR
		12 [		]	







- Input: Ku band Altimetric Waveform (gates)
- Output:SWH (m) and Epoch (m)

Training process

- Estimation of weights
- Train database: SWH  $\in$  [0;11m], Epoch  $\in$  [-0.47;0.47]

Optimisation and Validation of the Network Architecture over an independent database

f<sup>ct</sup> of input **e** and weights w ✓ scalar product

✓ Mixte product

### 4. Performances with simulated data

#### Solution by 2 of the standard deviation of the SWH estimates: $60cm \Rightarrow 30cm$



Solution  $\mathbf{S} = \mathbf{S} + \mathbf{S}$ 

Output Layer

### 5. Correction tables



MLE

NN

### **Conclusions and Perspectives**

- This short study demonstrated the ability of a method based on neural networks to reach:
- At least comparable results with MLE, concerning the precision of the epoch



### 6. Other results

- Effect of the center gate (half point of the leading edge): The precision of the epoch depends on the waveform centering
- Taking into account the mispointing angle in the training database, without estimation
- /alidation : Tau Error (m) 6 H1/3 (m)
- $\Rightarrow$  Diminution of the neural network biases

## Applications

Improvement of a factor 2 of the SWH estimates:

- Applications in meteorology like sea state forecast (use of altimeter SWH for assimilation, or validation, in wave models)
- Sea-state bias correction for the altimeter products:
  - Sea-state bias studies (relying on the SHW and wind)
- Improve the precision of the sea-state bias corrections (depending mainly on the SWH) Extreme events (hurricanes): can extremely high waves be better estimated with this method?

estimation (hence the precision of the range)

### A significant improvement of the precision on the Significant Wave Height, with a reduction of noise of a factor 2

One potential advantage of the **method** is that it **considers radar echoes** individually (20 Hz for Jason-1), and doesn't assume restricting hypotheses on the proprieties of the sea surface for tens or thousands of kilometers.

### Survey

A survey about that subject is in circulation among SWH users. If you want to participate in that study, please contact M. Arnaud Quesney (coordinates in up-right) corner).

Scientific studies dedicated to faint geophysical signals may benefit from improvements of the altimeter data precision:

- Small eddies (<< 100 km)
- Geophysics (small wavelengths of the geoid)

### Other perspectives

The **computation efficiency of neural networks** can be valuable for: Computation of the OSDR (Operational scientific data records, Near-Real Time) products) SWH for wave models

Massive re-processing of historical altimeter data: the approach presented here necessitates the determination of waveform invertors specific to each mission. Inversion of other parameters:

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