

Geophysical model function for wind speed retrieval from SARAL AltiKa: A sensitivity study

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Objective of the study:

- To develop a Geophysical Model Function for estimation of the microwave nadir-viewing radar backscatter of sea surface at Ka-band as a function of wind speed based on both theoretical and empirical basis.
- Estimation of wind speed and its validation using other radar altimeter and buoy data.
- Demonstration of wind speed for various case studies on regional to global scale.

Background:

- The radar reflectivity and backscatter not only depends on sea wave slope statistics but also on the roughness and sea foam and whitecaps caused by the near-surface ocean winds due to breaking of waves.
- Foam and sea water form a layered media which distort the fine structure of the surface and alter reflectivity due to resonant phenomenon.
- Whitecaps are the surface signature of buoyant bubble plumes caused by energetic breaking wind-generated gravity waves and they affect a wide range of oceanographically related processes.

Specular point model:

The average scattering cross-section for a radar altimeter is given by

$$\sigma^0(\theta) = \pi |\mathbf{R}(\theta)|^2 \text{Sec}^4 \theta p(\zeta_x, \zeta_y)$$

where, θ = incidence angle

$p(\zeta_x, \zeta_y)$ = surface slope pdf

$$\zeta_x = \frac{\partial n}{\partial x}, \quad \zeta_y = \frac{\partial n}{\partial y}, \quad n = \text{surface elevation}$$

$\mathbf{R}(\theta)$ = Fresnel reflection coefficient of air to surface interface at incidence angle θ

Under the classical assumption when the sea surface slopes are nearly Gaussian and isotropic in their distribution, the pdf and the scattering coefficient is given by

$$p(\zeta_x, \zeta_y) = \frac{1}{\pi \overline{S^2}} \exp\left(-\tan^2 \theta / \overline{S^2}\right)$$

$$\overline{S^2} = \langle \zeta_x^2 + \zeta_y^2 \rangle = \text{Mean square slope}$$

$$\sigma^0(\theta) = \frac{|\mathbf{R}(\theta)|^2}{\overline{S^2}} \sec(\theta) \exp\left(-\tan^2(\theta) / \overline{S^2}\right)$$

The effect of foam on wind speed estimation

The backscattering coefficient for normal incidence is given by

$$\sigma^0 = |R(0)|^2 / \bar{S}^2$$

where $\bar{S}^2 = a \ln U_{10} + b$

$|R(0)|^2$ = Reflectivity of the air to surface interface at normal incidence

Brown (1979) obtained an empirical expression using ship data (39 points) for swell conditions which is given by

$$\sigma^0 = -2.1 - 10 \log_{10} (A \ln U_{10} + B)$$

where $A = 0.02098$ $B = 0.01075$ for $U_{10} \leq 9.2$ m/s

$A = 0.08289$ $B = -0.12664$ for $U_{10} \geq 9.2$ m/s

Under high sea state conditions, the coverage of whitecaps will change the microwave reflectivity of the sea surface and modified backscattering coefficient can be expressed as

$$\sigma^0 = \left[|\mathbf{R}(0)|^2 (1-F) + \mathbf{r}_f F \right] / \bar{\mathbf{S}}^2$$

F = Significant coverage of whitecaps

\mathbf{r}_f = Reflectivity of whitecaps

where $a = 0.010$ $b = 0.012$ for $\mathbf{U}_{10} \leq 7$ m/s

$a = 0.085$ $b = -0.145$ for $\mathbf{U}_{10} \geq 7$ m/s

The frequency dependent fractional foam coverage is given by

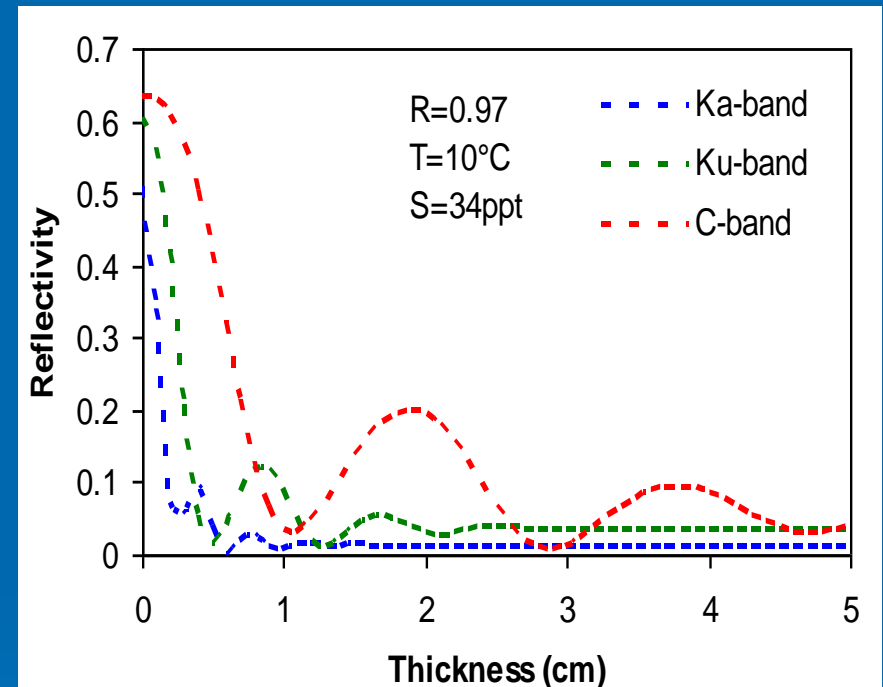
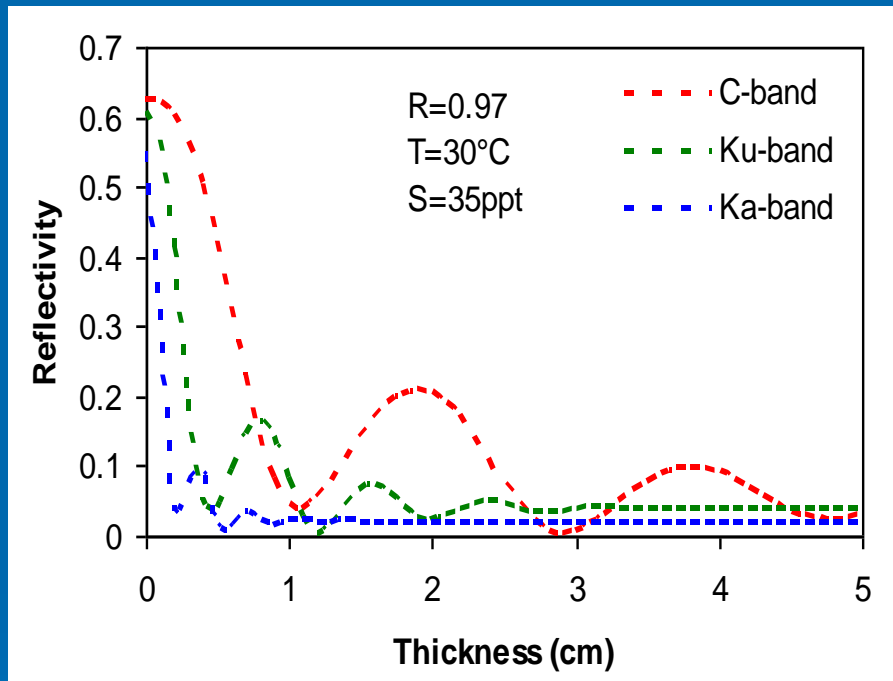
$$\mathbf{F} = \mathbf{a}_0 + \mathbf{a}_1 \mathbf{U}_{10} + \mathbf{a}_2 \mathbf{U}_{10}^2$$

where $\mathbf{a}_0 = 1.707 \times 10^{-2} + 8.560 \times 10^{-4} \mathbf{V} + 1.120 \times 10^{-5} \mathbf{V}^2$

$\mathbf{a}_1 = -1.501 \times 10^{-2} + 1.821 \times 10^{-3} \mathbf{V} - 4.634 \times 10^{-5} \mathbf{V}^2$

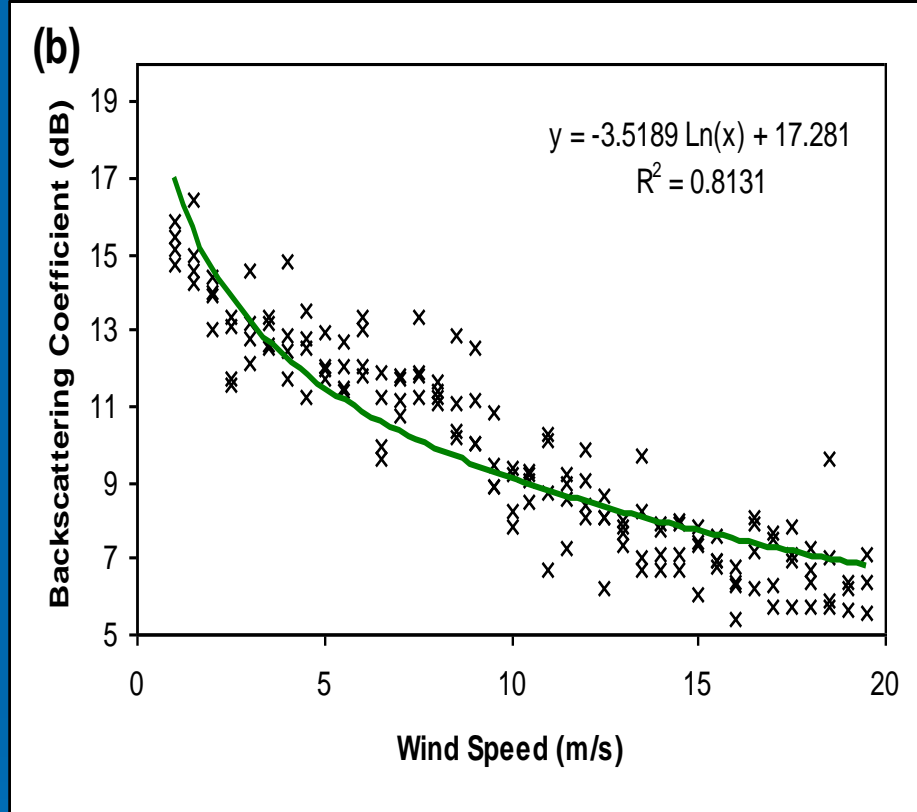
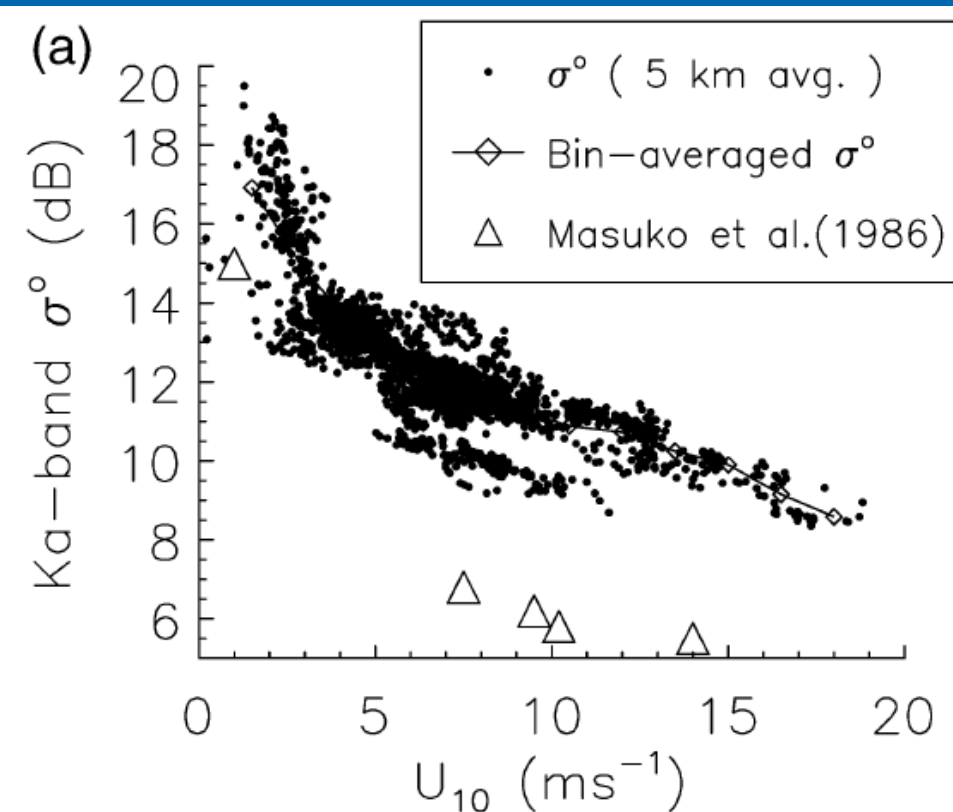
$\mathbf{a}_2 = 2.442 \times 10^{-2} - 2.282 \times 10^{-6} \mathbf{V} + 4.194 \times 10^{-7} \mathbf{V}^2$

Microwave reflectivity versus thickness of whitecaps



- The power reflectivity declined rapidly with increasing foam thickness.
- The minimax points were caused by the resonant absorption of the foam layer.

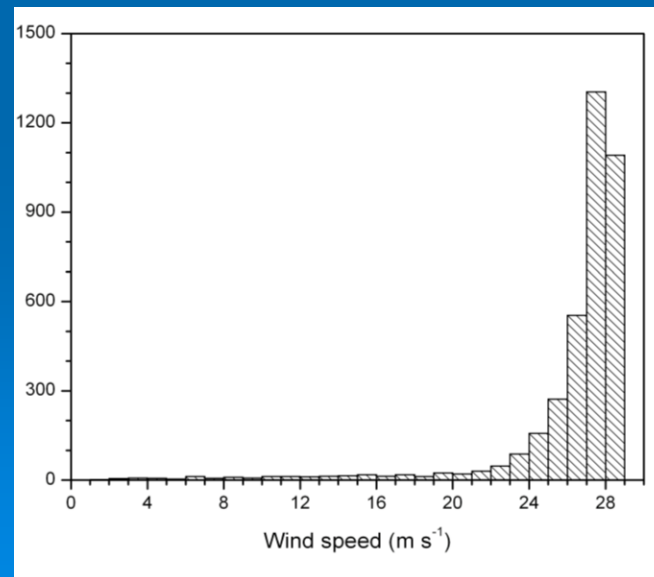
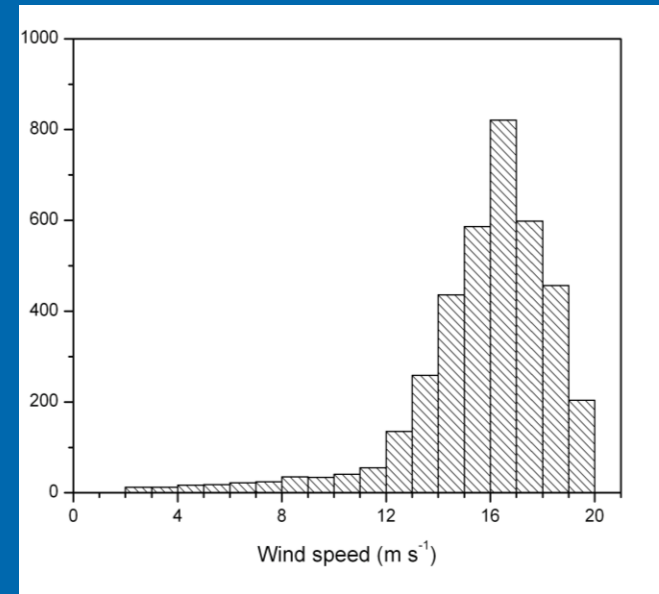
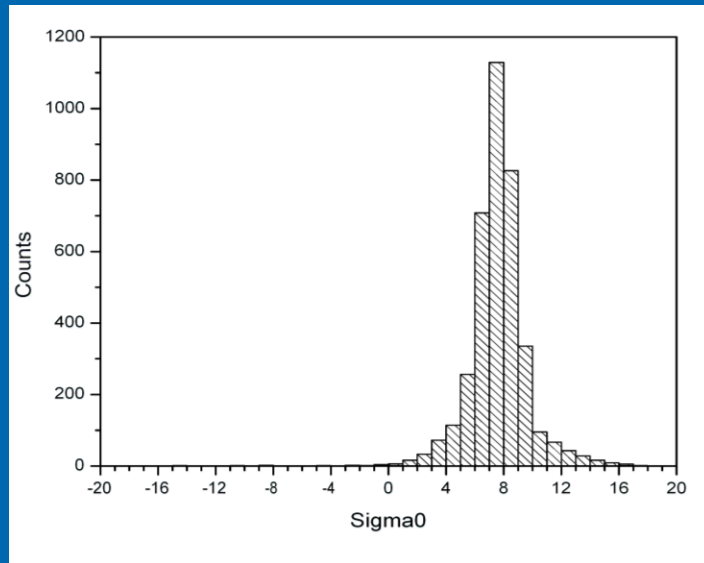
Results for Ka-band:

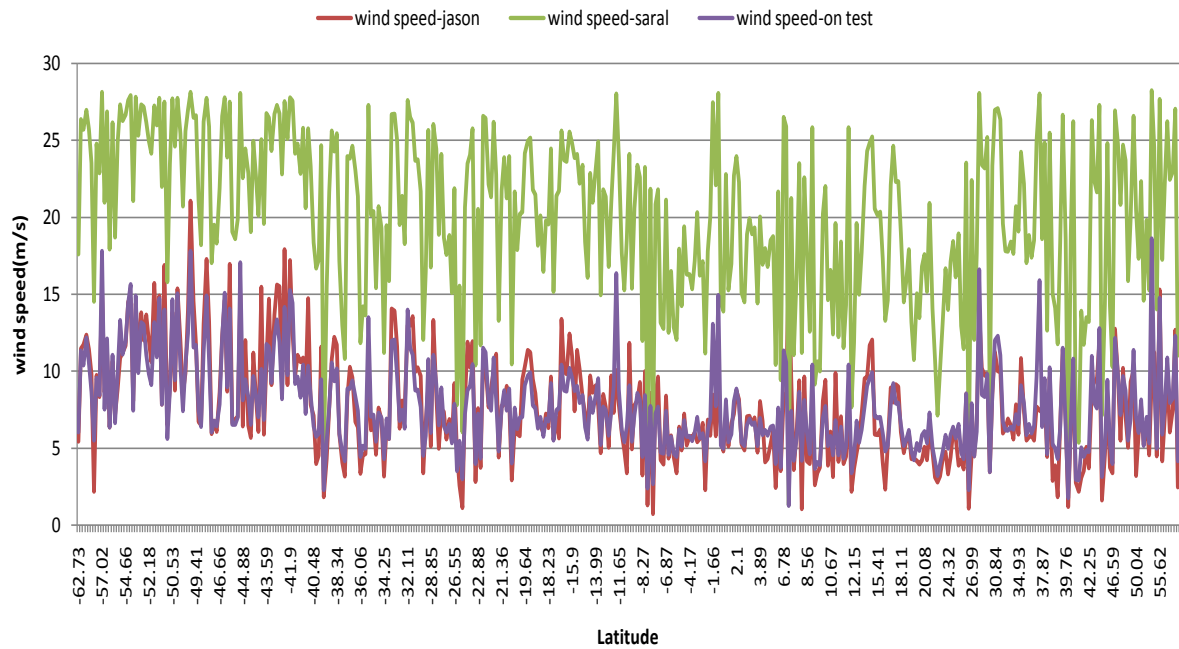


Vandermark *et al.* (2004), J. Phys. Oceanogr.

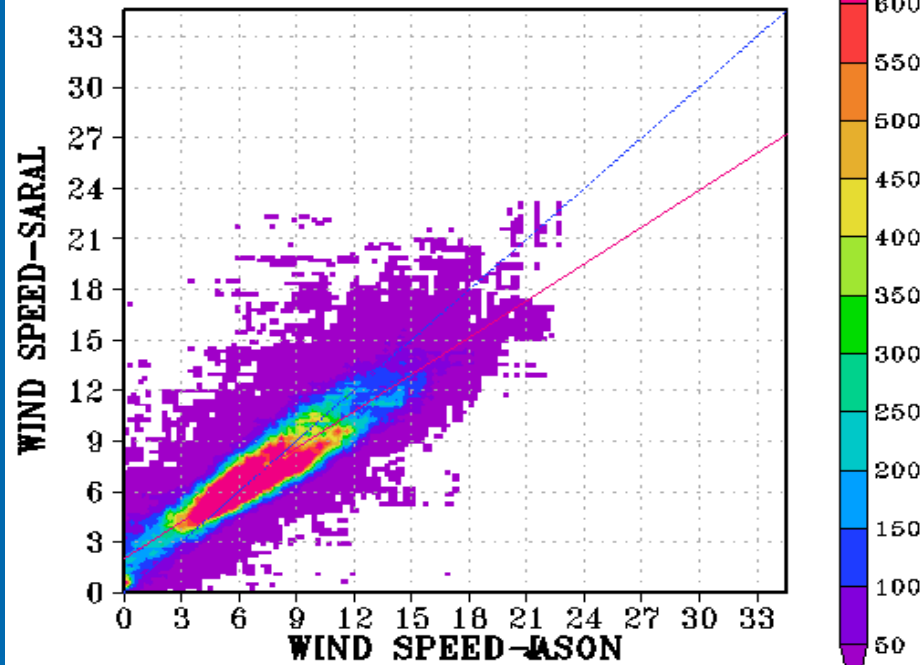
Present Model Function

Figure: Histogram of SARAL-sigma0, retrieved wind from SAC and CNES (Patch-1)

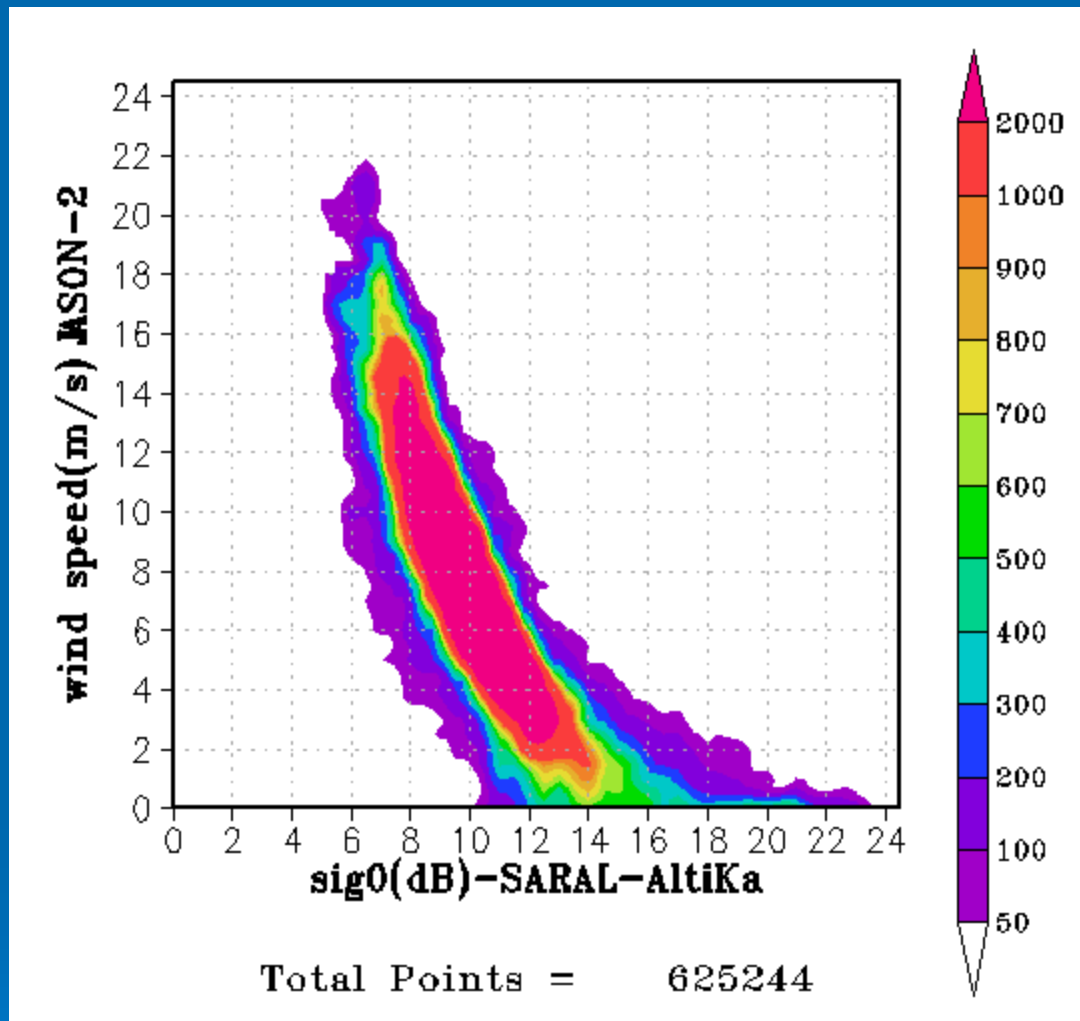




Comparison of JASON versus SARAL



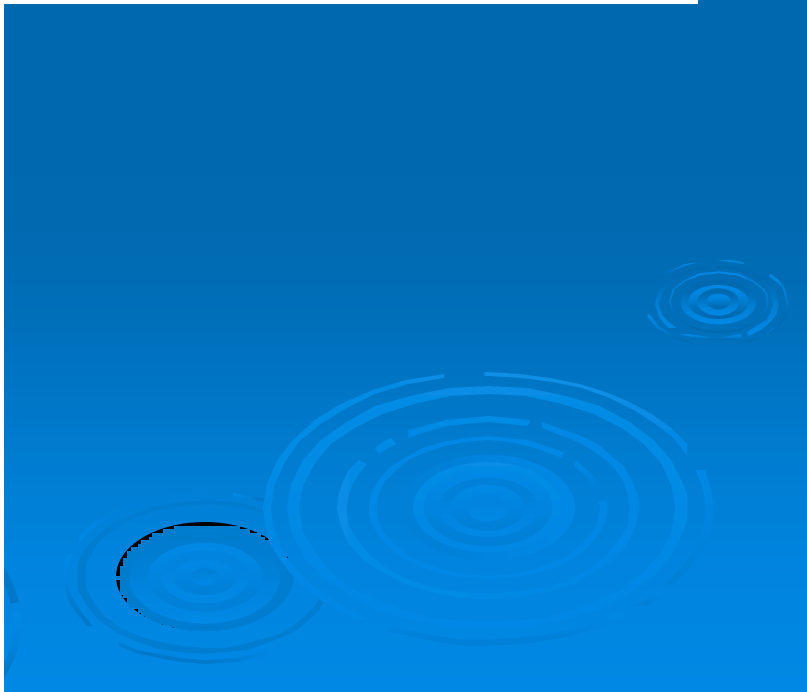
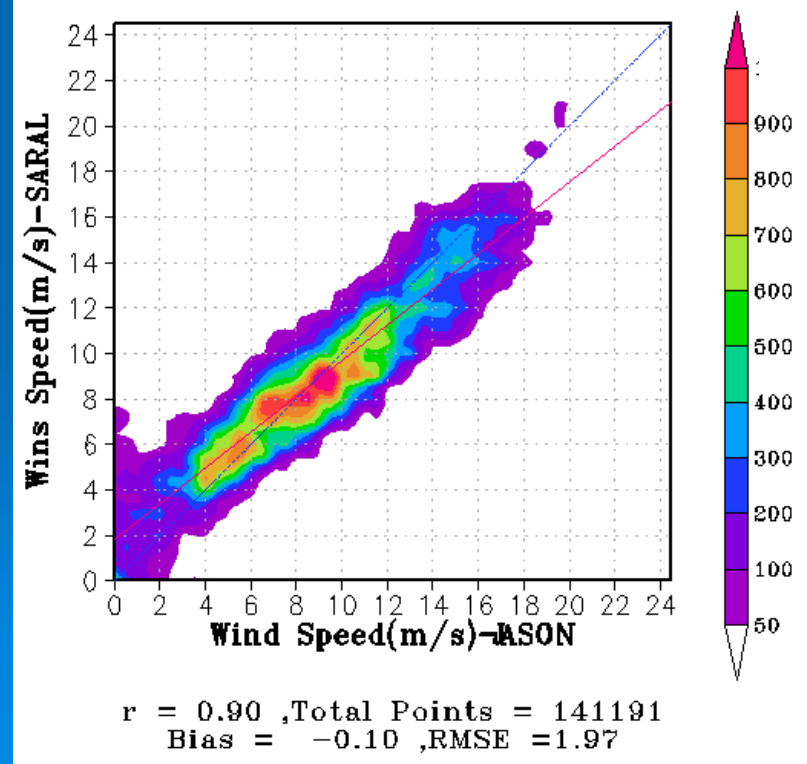
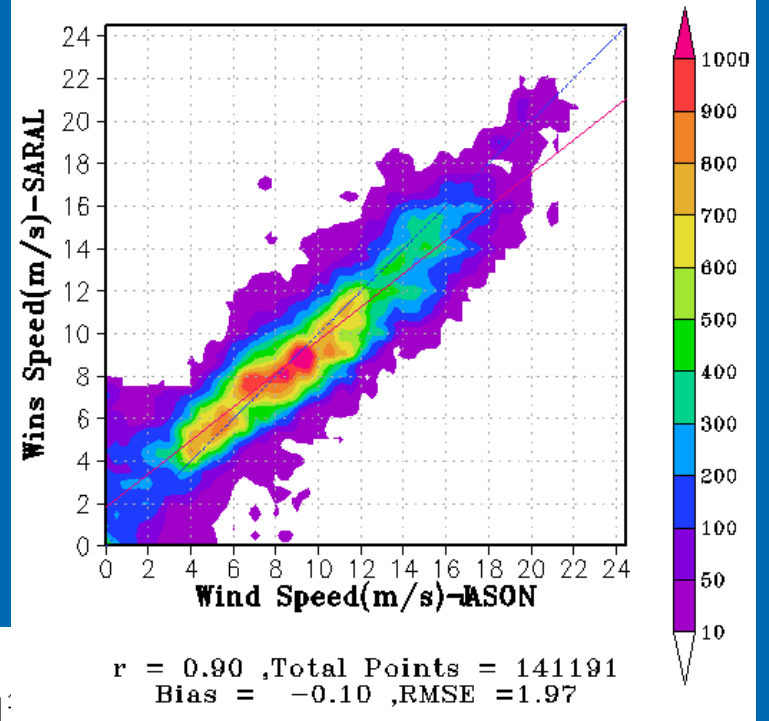
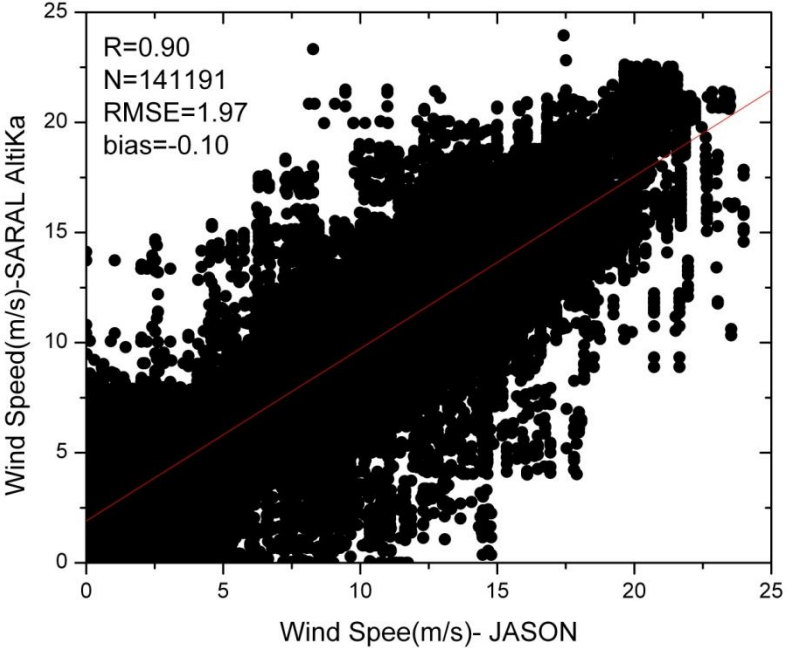
Regression Line: $y = 0.73 *x + 2.11$
 $r = 0.87$,Total Points = 625630
Bias = 0.04 ,SD = 1.85
rms difference = 1.85

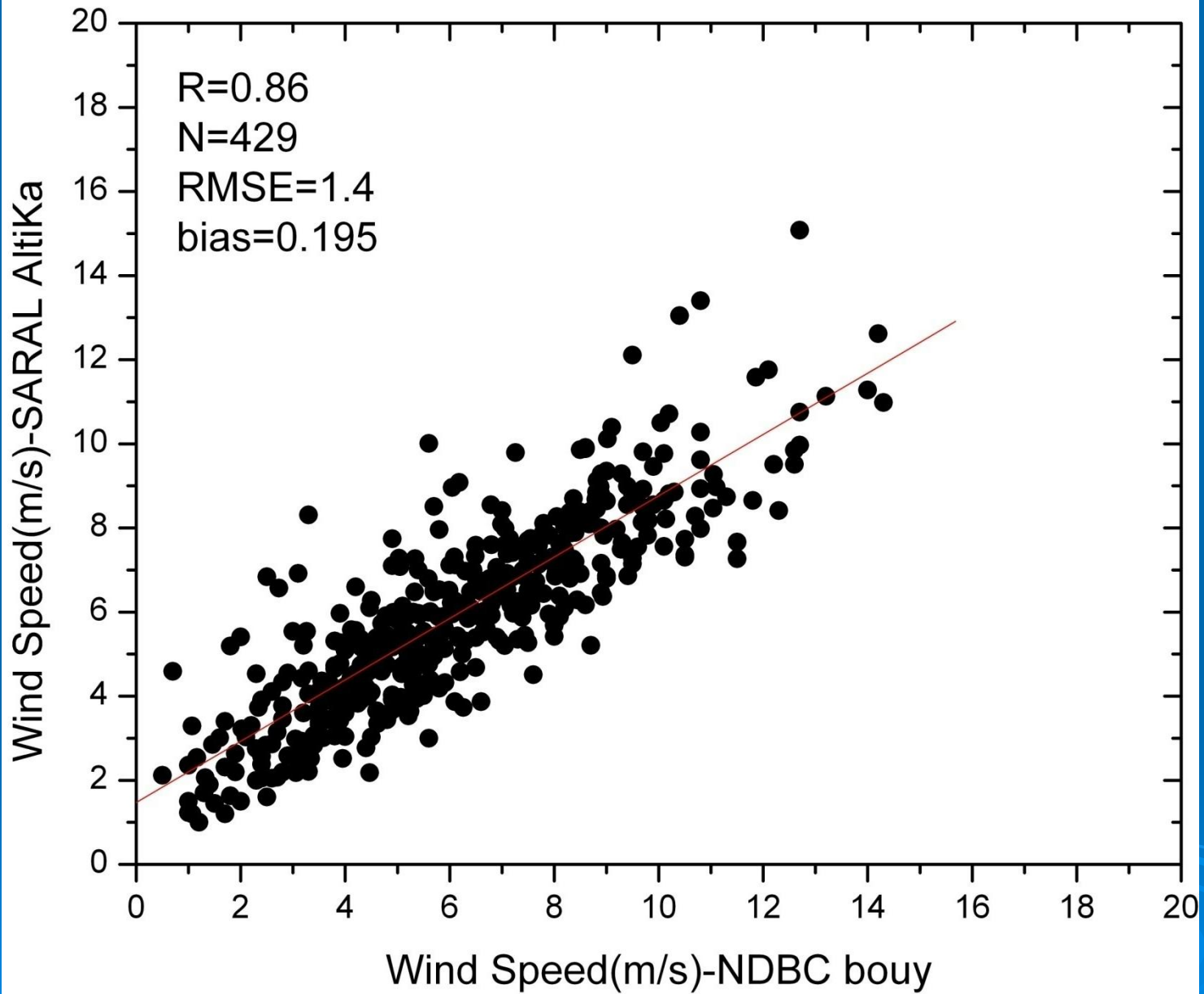


Empirically derived equation

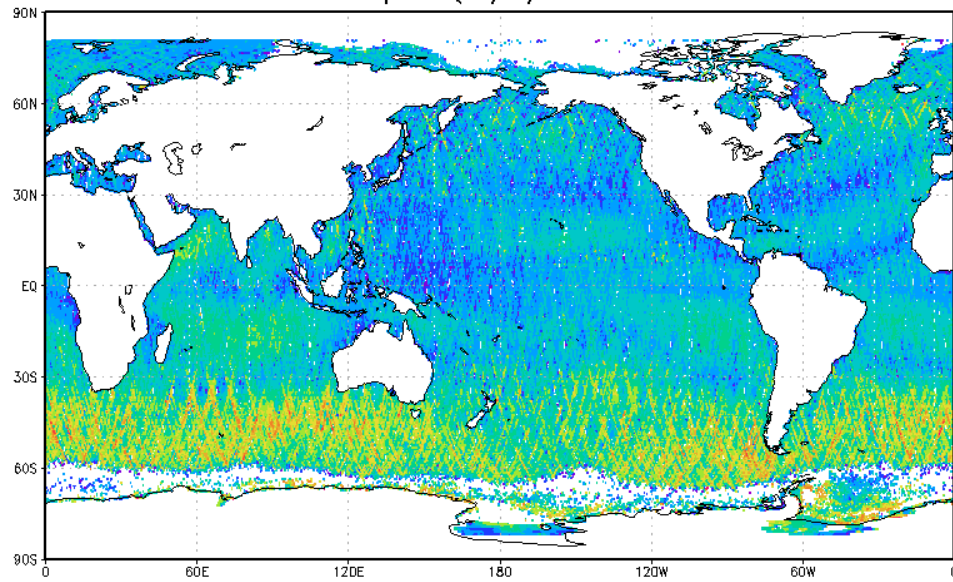
$$WS = -3.26847 + 43.6725 \cdot \exp(-0.151199 \cdot sig) + 0.523281 \cdot swh$$

Where sig is the back scatter coefficient(dB) and swh is the significant wave height(m)





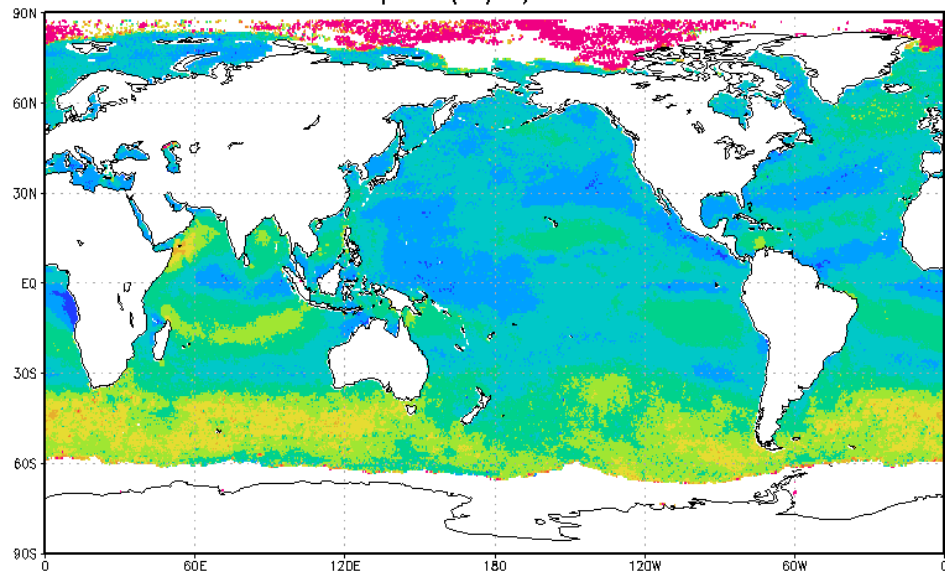
SARAL-Altika Wind Speed(m/s) 28JULY2013-31AUG2013



GrADS: COLA/IGES

2014-04-16-11: GrADS: COLA/IGES

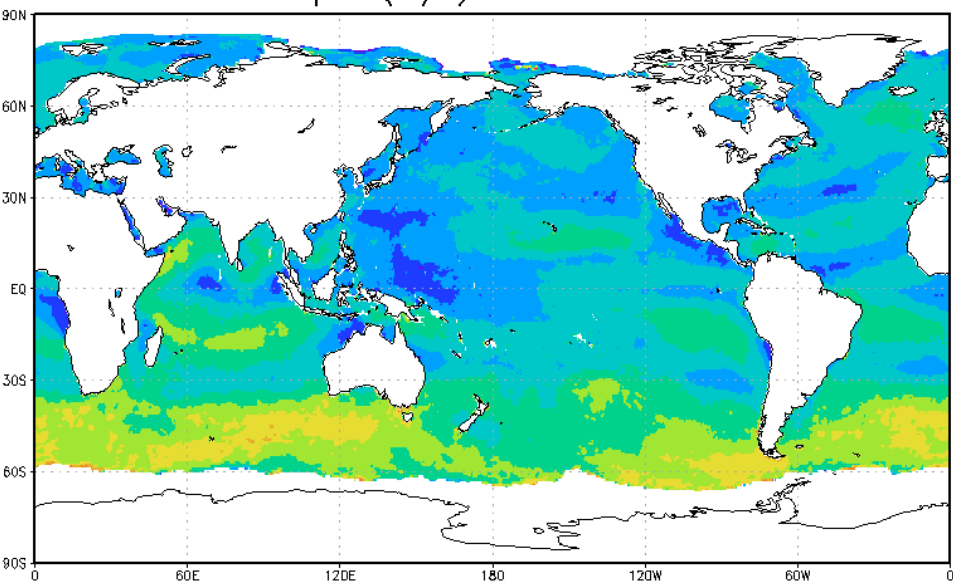
Oceansat-2 Wind Speed(m/s) 28JULY2013-31AUG2013



GrADS: COLA/IGES

2014-04-16-11:33: GrADS: COLA/IGES

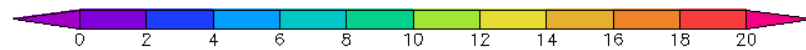
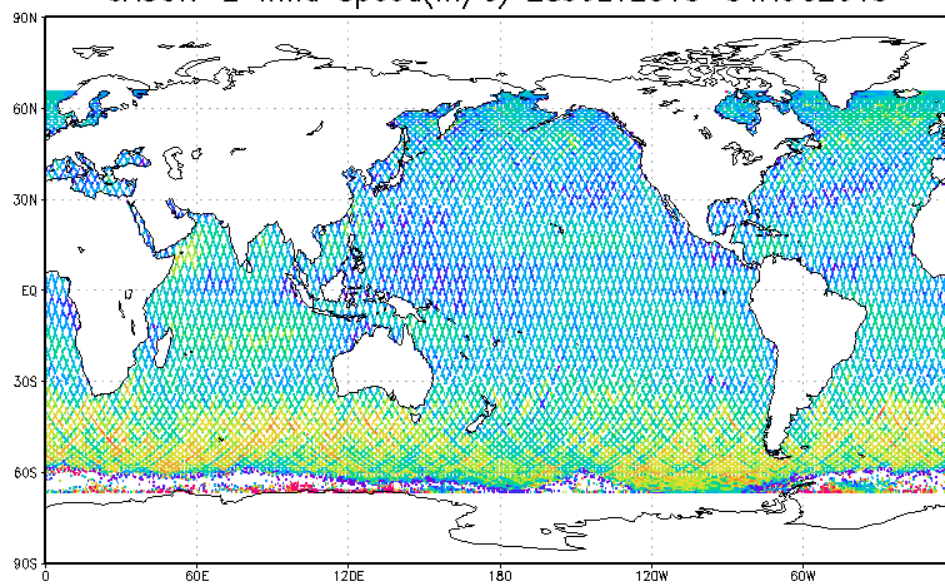
SSM/I Wind Speed(m/s) 28JULY2013-31AUG2013



GrADS: COLA/IGES

2014-04-17-08:4 GrADS: COLA/IGES

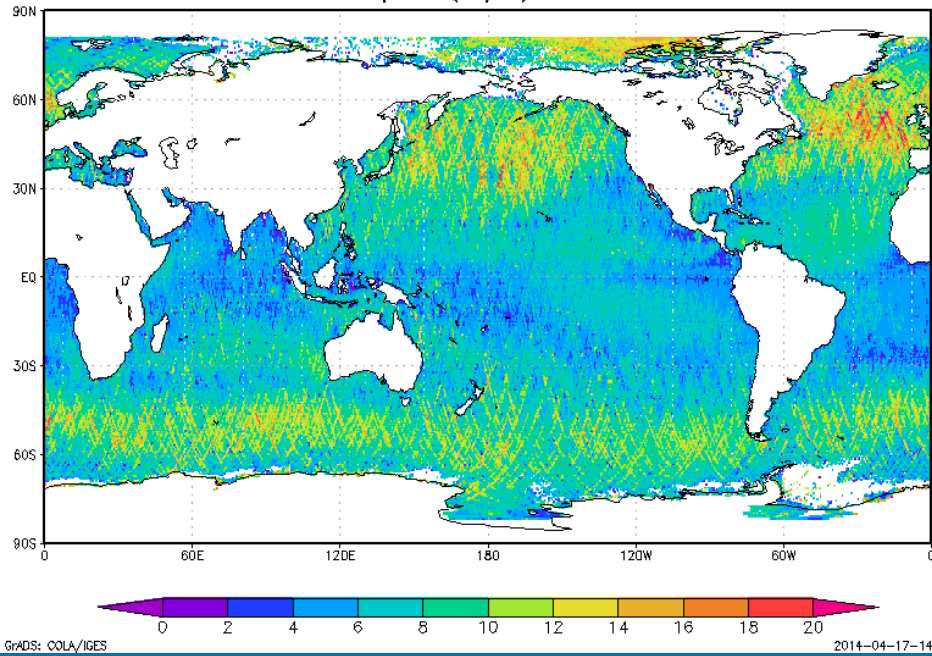
JASON-2 Wind Speed(m/s) 28JULY2013-31AUG2013



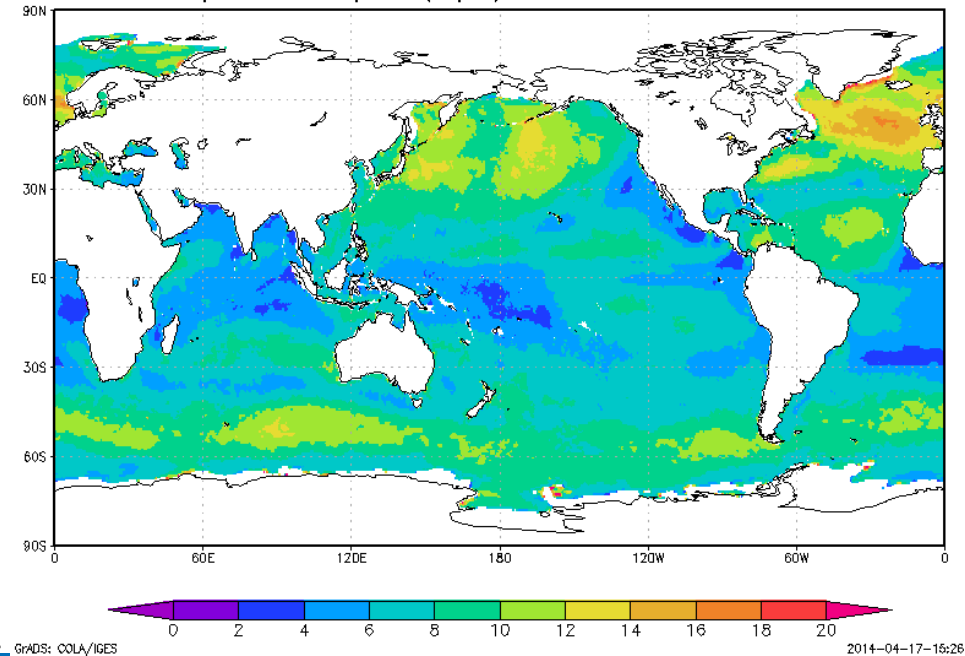
GrADS: COLA/IGES

2014-04-17-09: GrADS: COLA/IGES

SARAL-AIrkA Wind Speed(m/s) 15JUN2014-18FEB2014



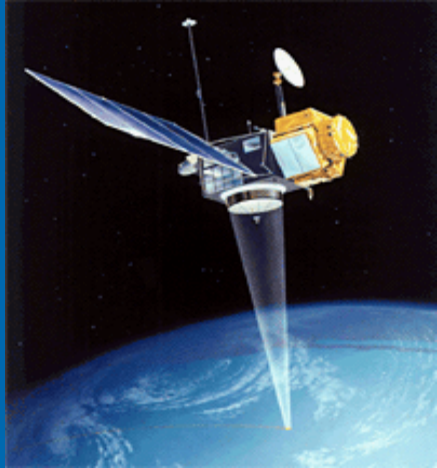
SSM/I/S Wind Speed(m/s) 15JAN2014-18FEB2014



Conclusion:

- **The proposed model provides better agreement with in-situ data and Jason-2 retrieved wind speed.**
- **The empirical model function provides better wind speed retrievals.**





THANKS



